## CLASS XII <br> MATHEMATICS

## 1 MARK SHORT 100 QUESTIONS

(1). Let Rbe the relation in the set $\{1,2,3,4\}$ given by $\mathrm{R}=\{(1,2),(2,2),(1,1),(4,4),(1,3),(3,3),(3,2)\}$ Is R symmetric and Transitive?
(2). An equivalence relation $R$ in $A$ divides it into equivalence classes $A_{1}, A_{2}, A_{3}$. What is the value of $A_{1} \cup A_{2} \cup A_{3}$ and $\mathrm{A}_{1} \cap \mathrm{~A}_{2} \cap \mathrm{~A}_{3}$.
(3) Let $\mathrm{A}\{1,2,3$,$\} . Find The number of equivalence relations containing (1,2) .$
(4) If $A$ is a matrix of order $m X n$ and $B$ is a matrix such that $A B^{\prime}$ and $B^{\prime} A$ are defined. The order of $B$ is.....
(5) The elements of a $3 \times 4$ matrix are given by $a_{i j}=\frac{1}{2}|-3 i+j|$. Write the value of $a_{32}-a_{14}$.
(6) If $A$ and $B$ are square matrix of order 3 and $|A|=5,|B|=3$,then the value of $|3 A B|$ is.........
(7) Write the order and degree of the differential equation $2 x^{2} \frac{d^{2} y}{d x}-3\left(\frac{d y}{d x}\right)^{2}+y=0$.
(8) What is the value of the constant of integration in the particular solution of the differential equation

$$
\frac{\mathrm{dy}}{\mathrm{dx}}=\frac{2 \mathrm{x}}{\mathrm{y}^{2}} \text { if } \mathrm{f}(-2)=3 .
$$

(9) Find the projection of $\vec{a}=2 \hat{\imath}+3 \hat{\jmath}+2 k$ on $\vec{b}=\hat{1}+2 \hat{\jmath}+\hat{k}$.
(10) For what value of $\mathrm{k}^{\prime}$, the matrix $\left(\begin{array}{cc}2 & 5 \\ \mathrm{k} & 10\end{array}\right)$ is a singular matrix?
(11) If a plane has the intercepts $a, b, c$ and is a distance of ' $p$ ' units from the origin, then $\frac{1}{a^{2}}+\frac{1}{b^{2}}+\frac{1}{c^{2}}=\cdots$
(12) Find the coordinates of the point where the line $\frac{x-5}{-2}=\frac{y-1}{3}=\frac{z-6}{-5}$ crosses the $Z X$ - plane.
(13) Given two independent events $A$ and $B$ such that $P(A)=0.3$ and $P(B)=0.6$ find $P(A$ and not $B)$.
(14) Whether true or false. If $A$ and $B$ are events such that $P(A \mid B)=P(B \mid A)$, then $A \cap B=\varnothing$.
(15) Find the area of the region bounded by the curve $y=x^{2}$ and the line $y=4$.

$$
2\left(\begin{array}{ll}
3 & 4  \tag{16}\\
5 & x
\end{array}\right)+\left(\begin{array}{ll}
1 & y \\
0 & 1
\end{array}\right)=\left(\begin{array}{cc}
7 & 0 \\
10 & 5
\end{array}\right) \text { Find }(x-y)
$$

(17) Find $K$ so that the function $f(x)=\left\{\begin{array}{cc}k x+1, & \text { if } x \leq \pi \\ \cos x, & \text { if } x>\pi\end{array}\right\}$ Is continuous at $x=\pi$
(18) Find the slope of the normal to the curve $x=1-\operatorname{asin} \theta, y=b \cos ^{2} \theta$ at $\theta=\frac{\pi}{2}$.
(19) Find the vector equation of a plane passing through $\mathrm{A}(2,5,-3), \mathrm{B}(-2,-3,5)$ and $\mathrm{C}(5,3,-3)$.
(20) Find the distance between lines $r=\hat{\imath}+2 \hat{\jmath}-4 \hat{k}+\lambda(2 \hat{\imath}+3 \hat{\jmath}+6 \hat{k})$ and $r=3 \hat{\imath}+3 \hat{\jmath}-5 \hat{k}+\mu(2 \hat{\imath}+3 \hat{\jmath}+6 \hat{k})$. ajay gupta
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(21) If $A=\{-5,0,3\}$, then what is the number of relations on $A$
(22) Let $A=\{0,1,2,3\}$ and define a relation R on A as follows: $R=\{(0,0),(0,1),(0,3),(1,0),(1,1),(2,2),(3,0),(3,3)\}$.Is R reflexive? symmetric? transitive?
(23) For the set $A=\{1,2,3\}$, define a relation R in the set A as follows: $R=\{(a, a),(b, c),(a, b)\}$. Then. write minimum number of ordered pairs to be added to R to make it reflexive and transitive.
(24) Write the maximum number of equivalence relations on the set $A=\{1,2,3\}$
(25) To every square matrix, we can associate a unique number (real or complex) called ........of that matrix.
(26) If $M_{i j}$ is the minor of the element $a_{i j}$ in the determinant $A$ then the number $(-1)^{i+j} M$ is called the $\qquad$ of the element $a_{i j}$.
(27) If each element on one side of the principal diagonal of a determinant is zero,then the value of the determinant is $\qquad$
(28) If $A=\left[a_{i j}\right]$ be a square matrix of order n , then $|k A|=\ldots$.
(29) If A and B are square matrices of the same order, then $|A B|=\cdots$
(30) If any two rows (or columns)of a determinant are identical, then the value of determinant is ...
(31) The sum of product of elements of any row (or column)of a determinant with their corresponding cofactors is equal ....
(32) The sum of products of elements any row (or column) of a determinant with the cofactors of the corresponding elements of some other row (or column) is equal to.......
(33) Let A be a skew-symmetric matrix of odd order, then $|A|=$ $\qquad$
(34) If $A$ is a square matrix of order 2 and $|A|=-5$, find the value of $|3 A|$
(35 If $A$ is a square matrix of order 3 and $|A|=-2$, find the value of $|5 A|$
(36) If $A$ is a square matrix of order 3 and $|2 A|=k|A|$, then write the value of $k$.
(37) If A is a square matrix such that $|A|=7$, then write the value of $\left|A A^{\prime}\right|$, where A ' is the transpose of $\mathrm{A} \ldots .$.
(38) If $A$ is a square matrix of order 3 such that $|A|=-4$, then find $|a d j|$.
(39) If A is a square matrix of order 3 such that $|\mathrm{A}|=2$, then find $\mid 3$. adj $A$ |
(40) If A is a square matrix of order 3 such that $|\operatorname{ad} A|=100$, then find $|A|$.
(41) If $A=\left[\begin{array}{cc}1 & 3 \\ -1 & 4\end{array}\right]$, find $\mid$ adj $A \mid$.
(42) For what value of k , the matrix $\left[\begin{array}{ll}2 & k \\ 3 & 5\end{array}\right]$ has no inverse?
(43) If A and B are square matrices of the same order, then $(A B)^{\prime}=\ldots$
(44) A square matrix A is called symmetric iff $A^{\prime}=\ldots$.
(45) A square matrix A is called skew-symmetric iff $A^{\prime}=\ldots \ldots$.
(46) Every element of leading diagonal of a. matrix is zero.
(47) ..... matrix is both symmetric and skew-symmetric matrix.
(48) Sum of two symmetric matrices is always $\qquad$ matrix.
(49) Sum of two skew-symmetric matrices is always. $\qquad$ matrix.
(50) If A is a square matrix, then $A+A^{\prime}$ is $\qquad$ and $A-A^{\prime}$ is $\qquad$
(51) If A is a symmetric matrix, then $A^{3}$ is a matrix. $\qquad$
(52) If A is a skew-symmetric matrix, then $A^{2}$ is a matrix.
(53) If A and B are the symmetric matrices of the same order, then $A B+B A$ is $\qquad$ and $A B-B A$ is $\qquad$
(54) In applying one or more row operations while finding $A^{-1}$ by elementary row operations, we obtain all zero in one or more rows, then $A^{-1}$
(55) The order of a matrix is defined as $\qquad$
(56) A diagonal matrix in which all diagonal elements are equal is called a $\qquad$
(57) Two matrices A and B are conformable for the matrix multiplication $A B$ if the number of columns of $A$ is same as the $\qquad$
(58) How many reflexive relations are possible in a set A whose $n(A)=3$.
(59) Let $A$ and B be events with $P(A)=\frac{3}{5}, P(B)=\frac{3}{10}$ and $P(A \cap B)=\frac{1}{5}$. Are A and B are independent?
(60) If the matrix $X=\left[\begin{array}{ccc}0 & a & -3 \\ 2 & 0 & -1 \\ b & 1 & 0\end{array}\right]$ is skew symmetric, find the value of ' $a$ ' and $b^{\prime}$ '.
(61) Find the direction cosines of the line that makes equal angles with the coordinate axes.
(62) Find the direction cosines of the line passing through the two points $(-2,4,-5)$ and $(1,2,3)$.
(63) Write the direction cosines of z -axis.
(64) Write the direction cosines of the line joining the points $(1,0,0)$ and $(0,1,1)$
(65) Write the vector equation of the line $\frac{3-x}{5}=\frac{y+4}{7}=\frac{2 z-6}{4}$.
(66) Write the Cartesian equation of the following line given in vector form $\vec{r}=2 \hat{i}+\hat{j}-4 \hat{k}+\lambda(2 \hat{i}-\hat{j}-\hat{k})$
(67) Find the Cartesian equation of the line which passes through the point $(-2,4,-5)$ and parallel to the line $\frac{x+3}{3}=\frac{4-y}{5}=\frac{z+8}{6}$
(68) The cartesian equation of a line AB is $\frac{2 x-1}{\sqrt{3}}=\frac{y+2}{2}=\frac{z-3}{3}$, Find the direction cosines of a line parallel to AB .
(69) In a LPP, the linear function which has to be maximised or minimised is called....... function.
(70) The linear inequalities or restrictions on the variable of an LPP are called $\qquad$
(71) In the objective function $Z=a x+b y, \mathrm{x}$ and y are called $\qquad$ variables.
(72) The common region determined by all the constraints including non negative constraints $x \geq 0, y \geq 0$ of an LPP is called the $\qquad$ region.
(73) Every point in the feasible region is called a $\qquad$ .solution to LPP.
(74) A feasible solution of LPP which maximises or minimises the objective function is called $\qquad$ solution. .
(75) In a LPP, the feasible region may be bounded or unbounded, it is always a .set.
(76) In a LPP, the objective function is always $\qquad$
(77) In a LPP, if the objective function $Z=a x+b y$ has the same maximum value on two corner points of the feasible region, then every point on the line segment joining these two points give the same $\qquad$ value.
(78) Let $R$ be the feasible region for an LPP and $Z=a x+b y$ be the objective function. If $R$ is bounded ,then the objective $Z$ has both a maximum and a minimum value on R and each of these occurs at a $\qquad$ of R.
(79) The feasible bounded region for an LPP is always a $\qquad$ polygon.
(80) Write the equations of $x$-axis in the space.
(81)If a line makes angles $(\alpha, \beta, \gamma)$ with the positive directions of the coordinate axes, then find value of $\sin ^{2} \alpha+\sin ^{2} \beta^{2} \beta+$ $\sin ^{2} \%$
(82) If a line makes an angle of $\frac{\pi}{4}$ with each of y and z axis, then find the angle which it makes with x -axis.
(83) If the direction cosines of a line are $\mathrm{k} . \mathrm{k} . \mathrm{k}$, then find the value of k .
(84) The conditional probability $\mathrm{P}(\mathrm{A} / \mathrm{B})$ of occurrence of $A$ given that $B$ has already occurred is given by $\qquad$
(85) If A is any event of sample spaces then (i) $P(A / S)=$ $\qquad$ (ii) $P(S / A)=$ $\qquad$
(86) " The conditional probability of an event A given that B has occurred lies between "... $\qquad$
(87) If A and B are two events such that $P(A \mid B)=p, P(A)=p, P(B)=\frac{1}{3}$ and $P(A \cup B)=\frac{5}{9}$, then $\mathrm{p}=$. $\qquad$
(88) If A and B are such that $\mathrm{P}\left(\mathrm{A}^{\prime} \cup \mathrm{B}^{\prime}\right)=\frac{2}{3} \quad P(A \cup B)=\frac{5}{9}$, then $P\left(A^{\prime}\right)+P\left(B^{\prime}\right)=$ (89) If $(A \cap B)=\frac{1}{2}, P\left(A^{\prime} \cap B^{\prime}\right)=\frac{1}{3}, P(A)=p$ and $P(B)=2 p$, then find the value of p
(90) Find the length of perpendicular drawn from the origin on the plane $\$ 2 x-3 y+6 z-5=0 \$$. Also write a unit vector normal to the plane.
(91 If $A=\{-5,0,3\}$, then what is the number of relations on A ?
(92) Write the maximum number of equivalence relations on the set $A=\{1,2,3\}$
(93) If $R=\{(x, y): x+2 y=8\}$ is a relation on N , write the range of R .
(94) Let $R=\left\{\left(a, a^{3}\right): a\right.$ is a prime number less than 5$\}$. Find the range of $R$.
(95) How many equivalence relations on the set $\{1,2,3\}$ containing $(1,2)$ and $(2,1)$ are there in all? Justify your
(96) Find a matrix A such that $2 A-3 B+5 C=0$, where $B=\left[\begin{array}{ccc}-2 & 2 & 0 \\ 3 & 1 & 4\end{array}\right]$ and $C=\left[\begin{array}{ccc}2 & 0 & -2 \\ 7 & 1 & 6\end{array}\right]$
(97) If $x=a \cos \theta ; y=b \sin \theta$, then find $\frac{d^{2} y}{d x^{2}}$
(98) Consider the set $A=\{1,2,3\}$ and $R$ be the smallest equivalence relation on $A$, then find $R$.
(99) If $A$ is skew symmetric matrix of order 3 , then find the value of $|A|$.
(100). Write the slope of normal to the curve $x y=12$ at the point $(3,4)$. Also what is the corresponding equation of normal?
***All The Best ***

